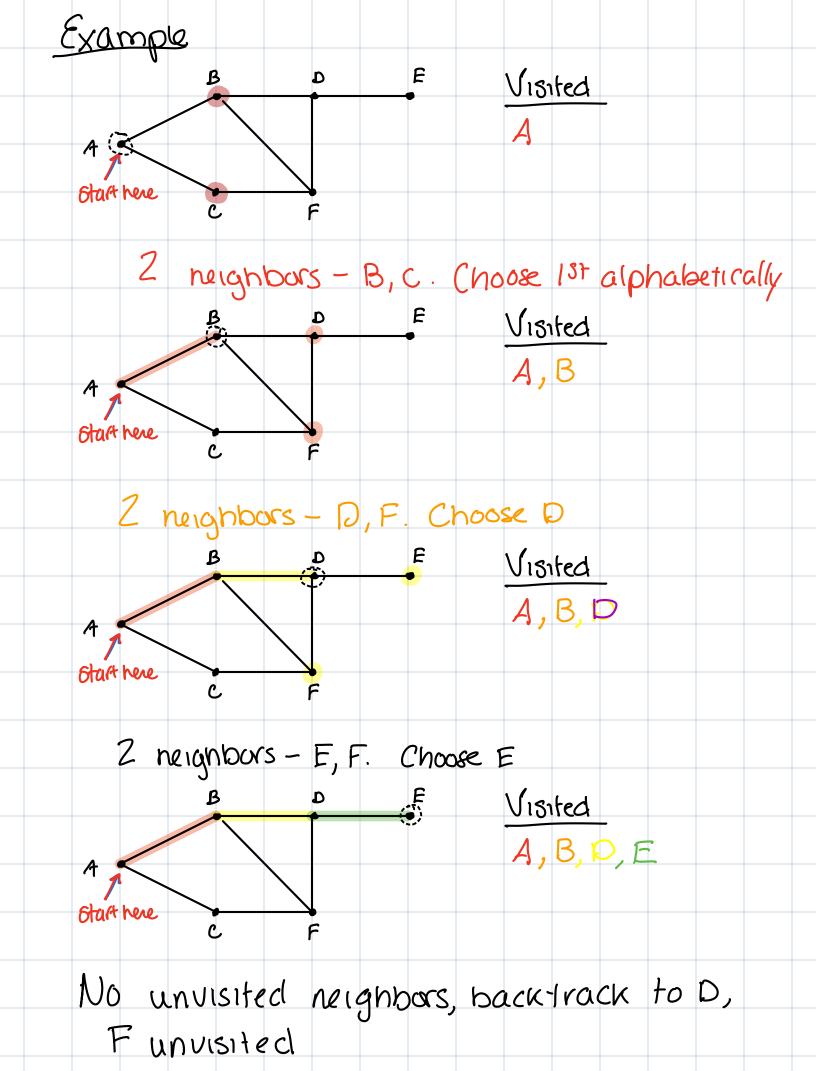
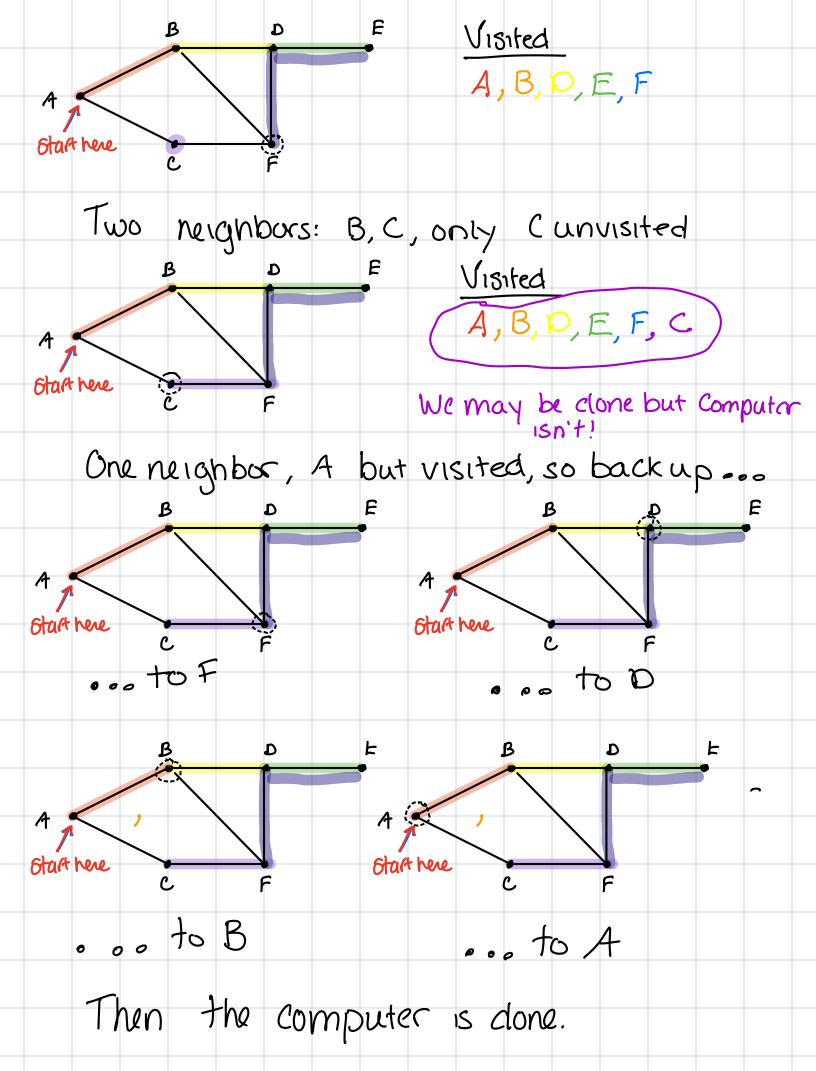
Professor Hamlin Agenda (lass 15 1) Admin - extra BFS/DFS video 2) Review 3) Searching through Graph - Breadth First Search (BFS) - Depth First Search (DFS) 4) Shortest path in weighted graph -Dykstra's Algorithm Keview: Groph: G=(V,E) Vocab: adjacent, degree, walk, path, cycle, connected, subgraphs, weighted, directed, Trees: parent, children, root, leaf, sibling, ancestors, descendents forests On computer: adjacency list, adjacency matrix Graph isomorphism Exercise: 1. Draw the following adjaceny list as E-rooted tree F: [6, E] A: [B] G: [F, H, I]B: [A, P] H: [G] C: 20] I: [G]D: [B, C, E] EID,F]

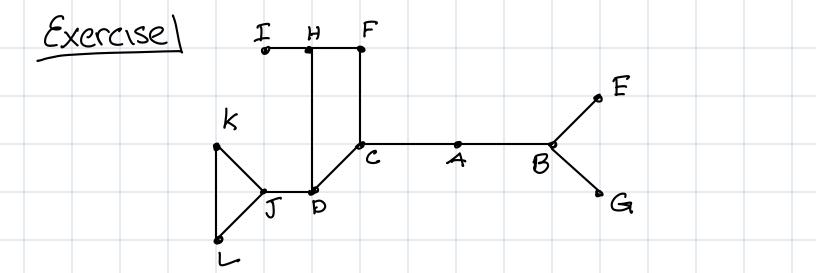
2. In the previous graph, what is the path between A EG? A, B, D, E, F, GSearching a graph Graph of my home . town Five Latest in Essex Junction As a teen could go any where within 10 minutes of Scorners. What could I getto? A, B, C, E, F D is to far away " This is easy for a human to clo but harder for a computer.

Need to describe a method. that works for all graphs: an <u>algorithm</u> First algorithm... Depth First Search (DFS) (the brave algorithm) Intuition: keep going far away, ao possible before backing up and trying a clifferent path. https://www3.cs.stonybrook.edu/~skiena/combinatorica/animations/search.html Depth-First Search Formally, visit adjacent, unvisited vertice as

long as possible, then back up one edge look for another unvisited vertex to visit using same method.







1) DFS starting at A (order visit nodes in ABEG CDHF IJKL Startingat

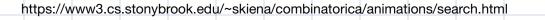
2) DFS starting at H HDCA BEGF JKLT

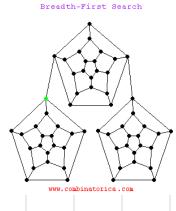
3) DFS starting at G GBAC DHFI JKLE

Breachth First Search (BFS)

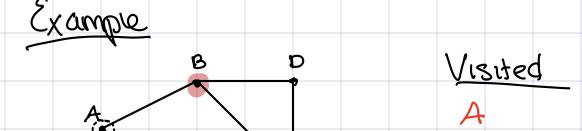
(the cautious algorithm)

Iclea: explore all the close things before venturing out the next step





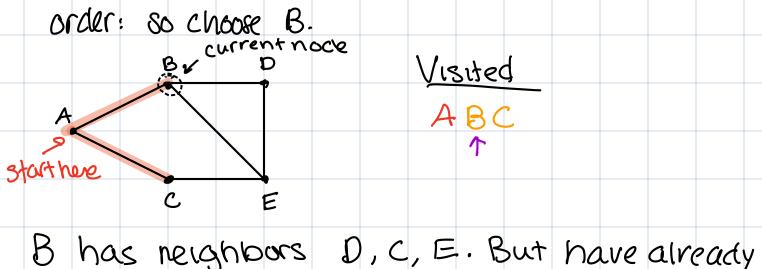
Formally: visit all vertices adjacent to the starting vertex then do fine come from each of those vertices

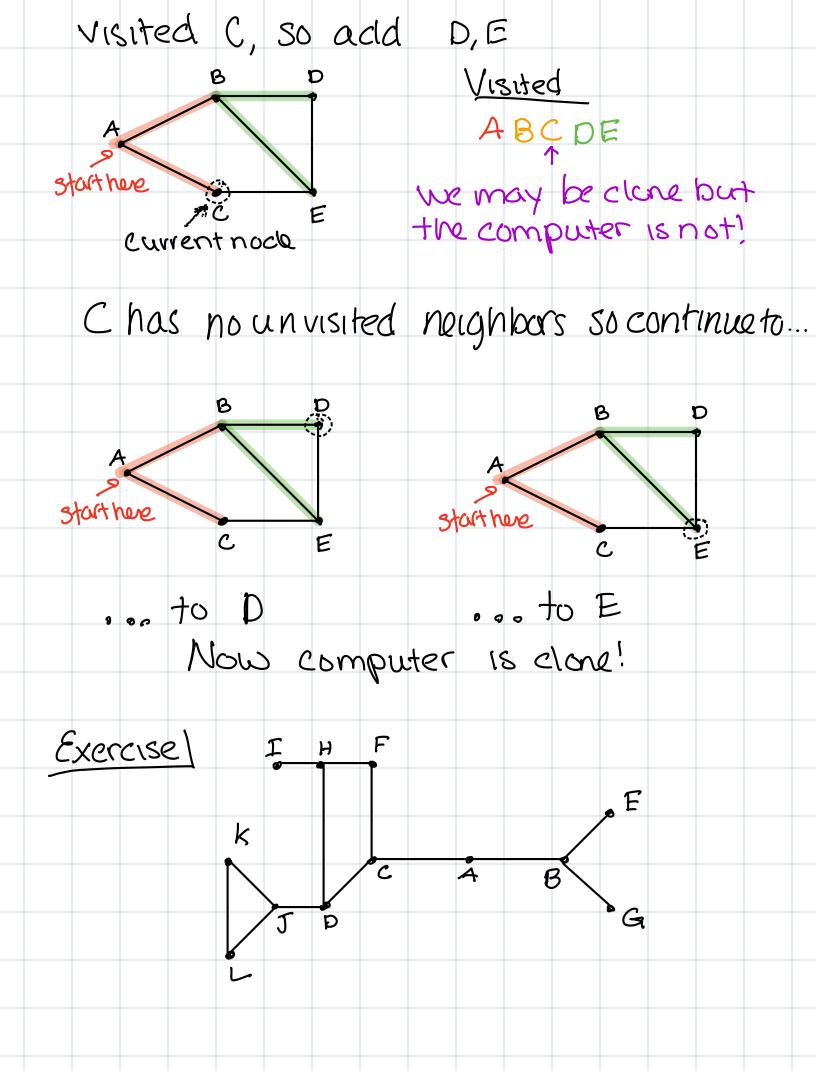


E

starthere

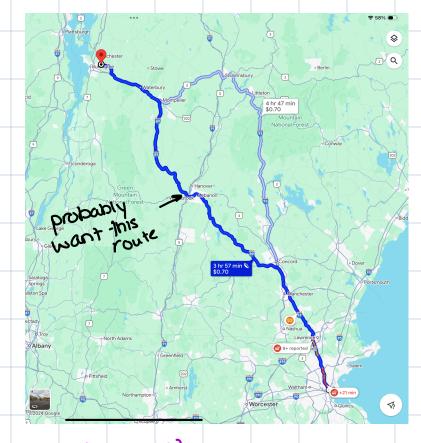
Neignboxs are B,C, choose to visitin alphabetic order: so choose B.





1) BFS starting at A ABCEGDFHJIKL 3) BFS starting at G GBAECDEHJIKL * P & T P P P P P P P P Why BFS/DFS (again) -> DFS/BFS gives you a connected subgraph (where can I get by taking only one airline) -> DFS can eletect cycles in a graph (we bump into an already visited neighbor) -> BFS orclers nodes by how far a way they are (1-hop, 2-hops, etc) -> They can be written recursively "

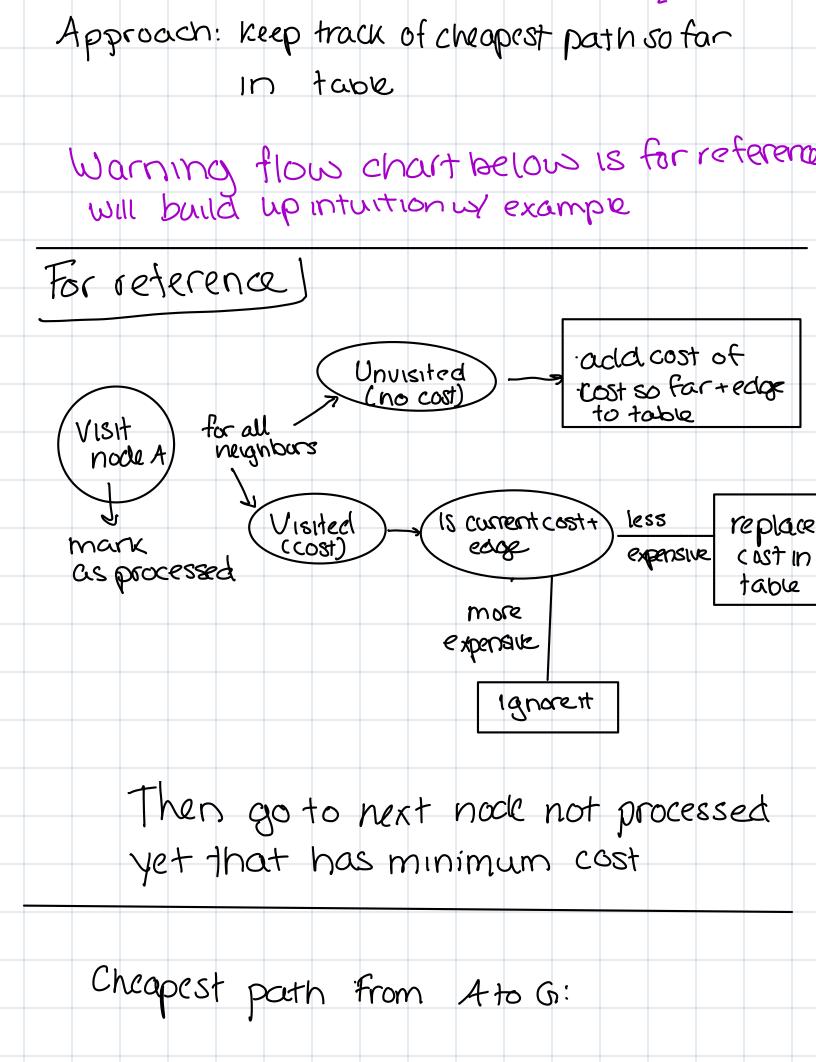
Now a clifferent type of problem: how to get to point A to point B the fastest/cheapest/etc.

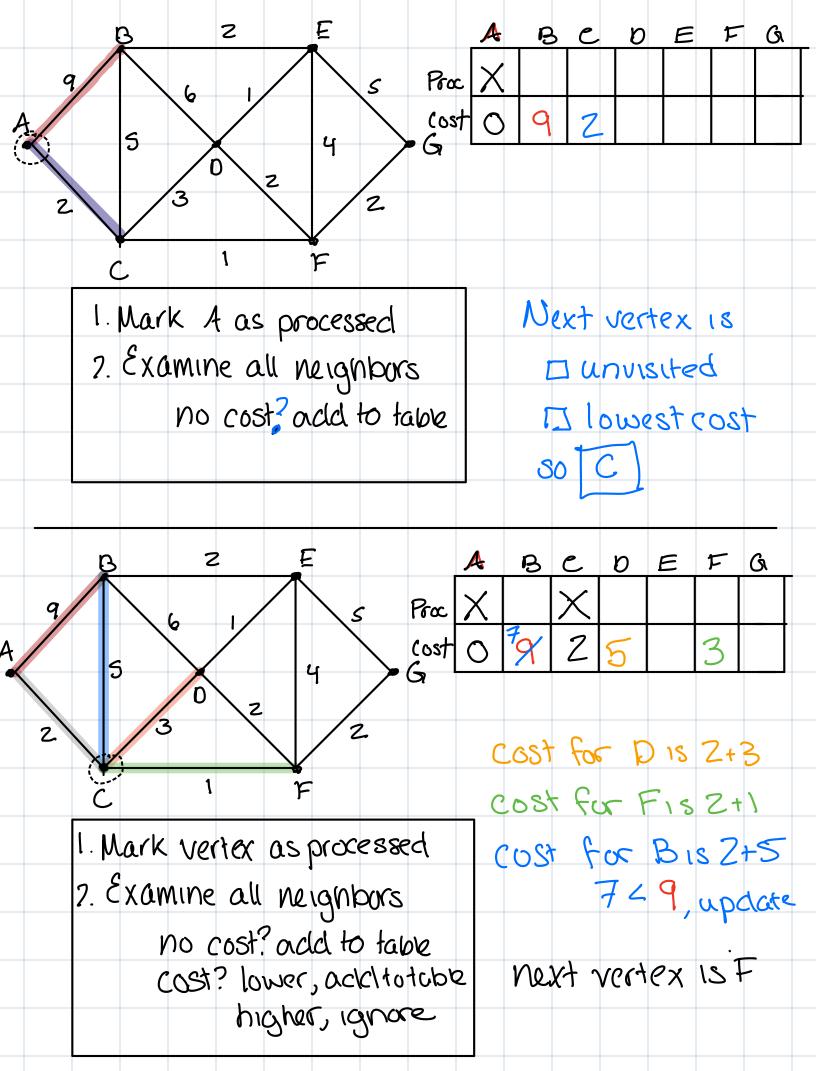


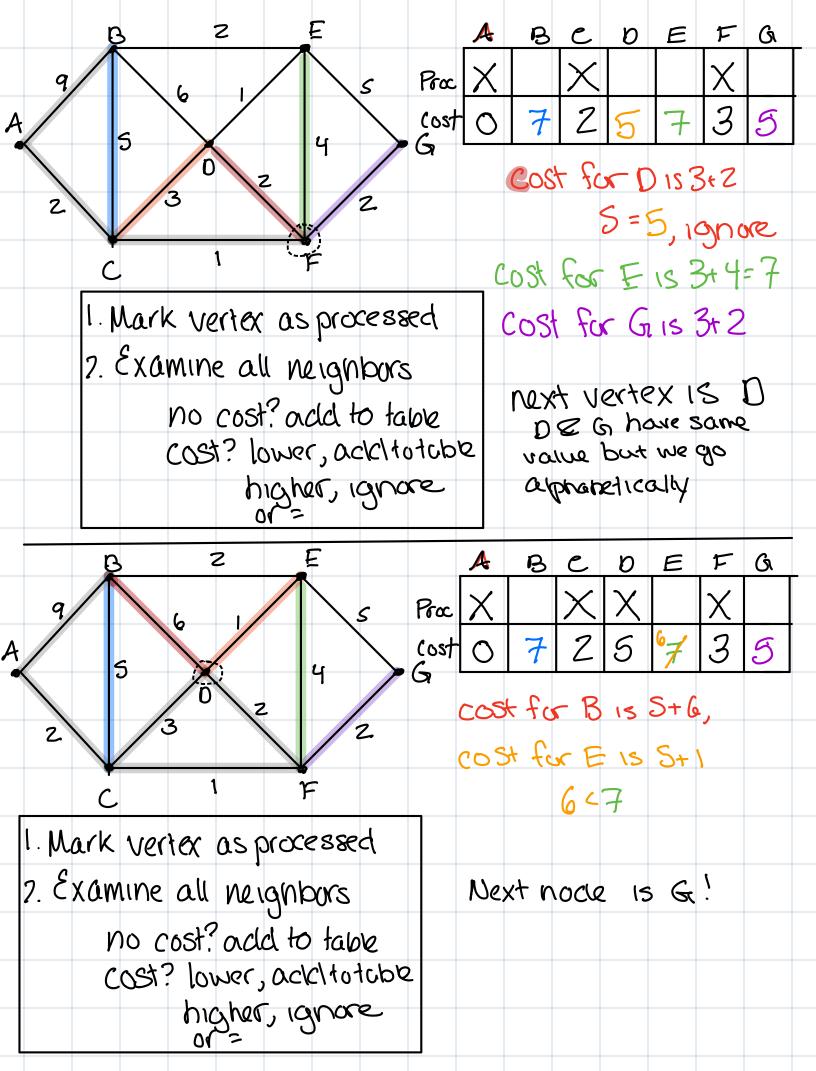
Known as "shortest path" problem - can be Solved using Dykstra's algorithm

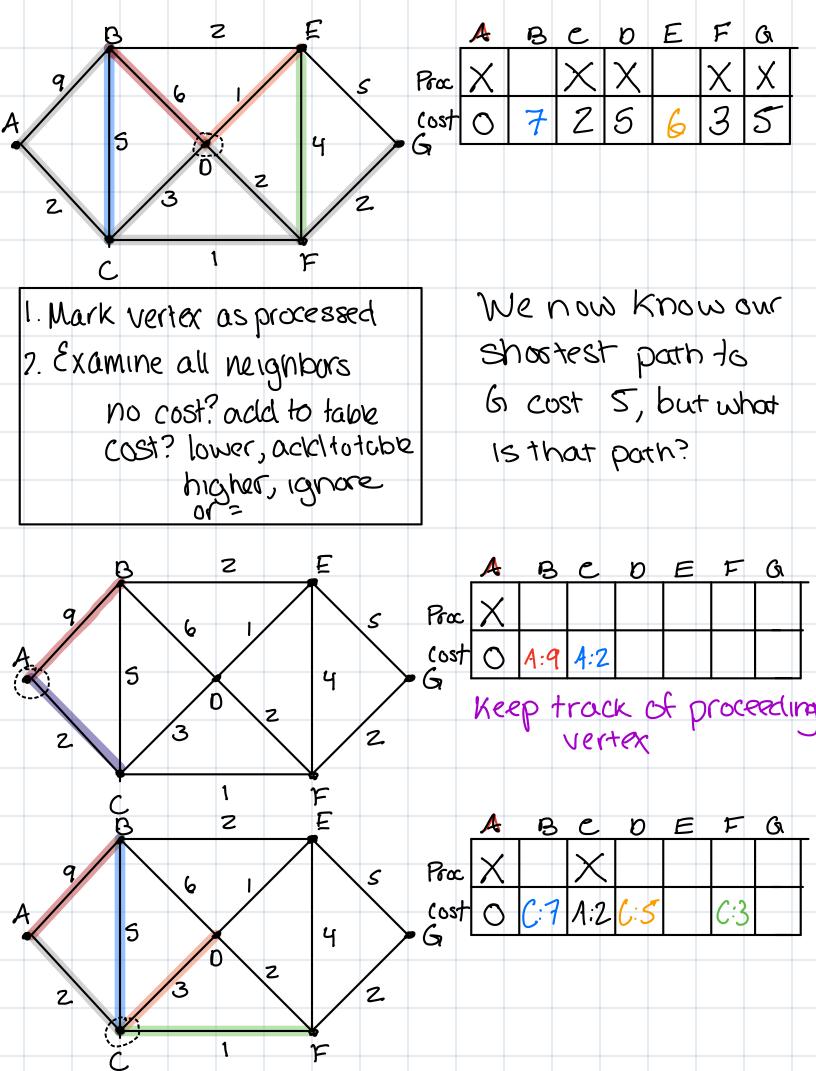
> (cheapest path isnitalways the one w/ least # of eclopes)

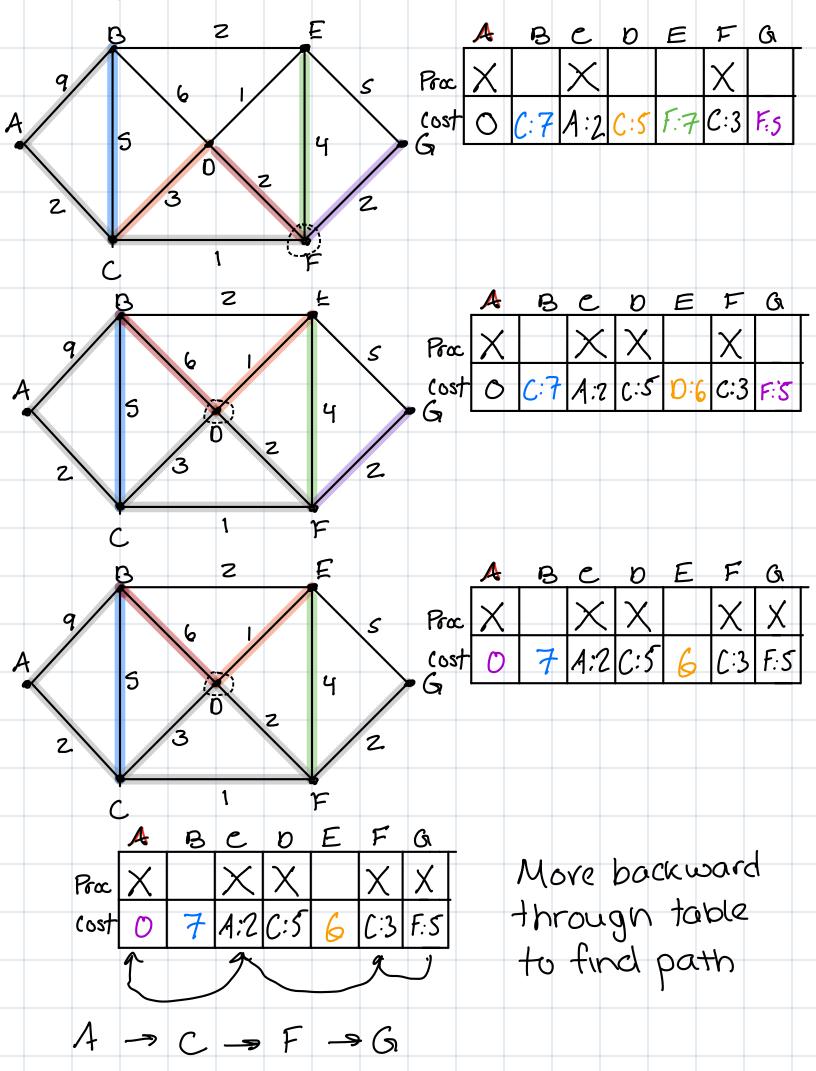
Formally: - weighted graph w/ positive edges - what is least cost from A to B if we add up the edges along the path







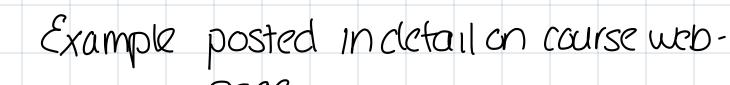


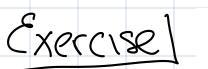


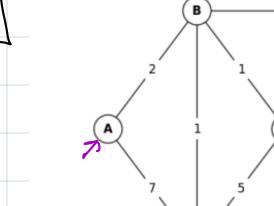
On Hw/Exam

	iteration	node visited	А	В	С	D	\mathbf{E}	F	G
	0	А	start:0	A: 9	A: 2	none	none	none	none
$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	1	\mathbf{C}	start:0	C: 7	A: 2	C: 5	none	C: 3	none
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	2	\mathbf{F}	start:0	C: 7	A: 2	C: 5	F: 7	C: 3	F: 5

The path with min weight is: G \leftarrow F \leftarrow C \leftarrow A

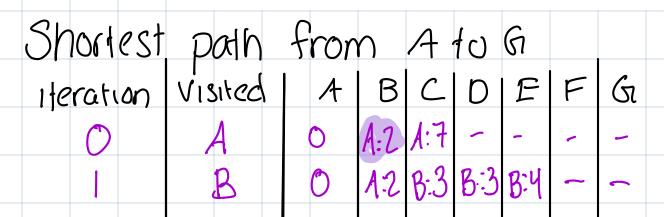






D

G



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